

Chemistry 132 NT

If you're courting a pretty girl,
an hour can seem like a
second. If you sit on a red hot
cinder, a second can seem like
an hour. That's relativity.

Albert Einstein

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Chem 132 NT

Nuclear Chemistry

Module 2

Radioactivity and Nuclear
Bombardment Reactions

- Nuclear Bombardment Reactions
- Radiation and Matter: Detection and Biological Effects
 - Rate of Radioactive Decay
- Applications of Radioactive Isotopes



The core of a nuclear reactor used in research.

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Review

- Writing a nuclear equation
- Deducing a product or reactant in a nuclear equation
- Predicting the relative stability of nuclides
- Predicting the type of radioactive decay

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Nuclear Bombardment Reactions

☛ In 1919, **Ernest Rutherford** discovered that it is possible to change the nucleus of one element into the nucleus of another element.

- **Transmutation** is the change of one element to another by bombarding the nucleus of the element with nuclear particles or nuclei.

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Nuclear Bombardment Reactions

☛ In 1919, **Ernest Rutherford** discovered that it is possible to change the nucleus of one element into the nucleus of another element.

- Rutherford used a radioactive alpha source to bombard nitrogen nuclei.



- He discovered that protons are ejected in the process.

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Nuclear Bombardment Reactions

☛ The British physicist **James Chadwick** suggested in 1932 that the radiation from beryllium consists of **neutral particles**, each with a mass approximately that of a proton.

- Chadwick's suggestion led to the **discovery of the neutron**.



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Nuclear Bombardment Reactions

☛ Nuclear bombardment reactions are often referred to by an **abbreviated notation**.

• For example, the reaction



is abbreviated



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A Problem To Consider

☛ Write the abbreviated notation for the following bombardment reaction.



• The notation is:



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A Problem To Consider

☛ Write the nuclear equation for the bombardment reaction denoted ${}^{27}_{13}\text{Al}(\text{p},\text{d}){}^{26}_{13}\text{Al}$.

• The nuclear equation is:



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Nuclear Bombardment Reactions

☛ Bombardment of heavy nuclei **require accelerated particles** for successful transmutation reactions.

- A **particle accelerator** is a device used to accelerate electrons, protons, and alpha particles and other ions to very high speeds.
- It is customary to measure the kinetic energy of these particles in units of **electron volts**.

$$1 \text{ eV} = 1.602 \times 10^{-19} \text{ J}$$

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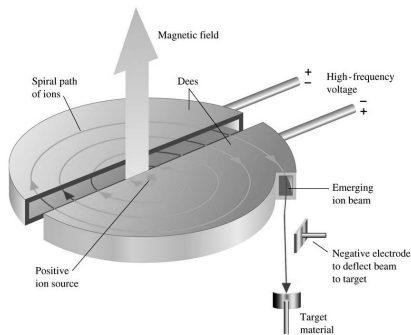
Nuclear Bombardment Reactions

☛ Bombardment of heavy nuclei **require accelerated particles** for successful transmutation reactions.

- The figure on the next slide shows a diagram of a **cyclotron**, a type of particle accelerator consisting of two hollow, semicircular metal electrodes in which charged particles are accelerated in stages.

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Cyclotron



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Transuranium Elements

- ☛ The **transuranium elements** are elements with atomic number greater than that of uranium ($Z=92$), the naturally occurring element of greatest Z .
 - ◆ The first transuranium element was produced at the University of California at Berkley in 1940 by **E. M. McMillan and P. H. Abelson**.
 - ◆ They produced an isotope of element 93, which they named **neptunium**.

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Transuranium Elements

- ☛ The **transuranium elements** are elements with atomic number greater than that of uranium ($Z=92$), the naturally occurring element of greatest Z .
 - ◆ Recent work has yielded other elements including the heaviest to date, 118.

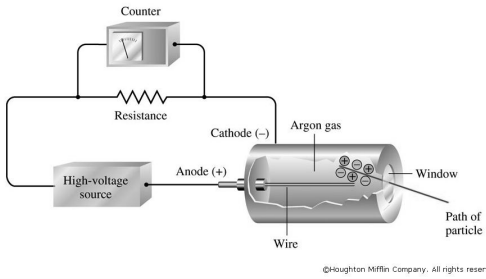
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Radiations and Matter: Detection

- ☛ Two types of devices, **ionization counters** and **scintillation counters**, are used to count particles emitted from radioactive nuclei.
 - ◆ A **Geiger counter** (figure on next slide), a kind of ionization counter used to count particles emitted by radioactive nuclei, consists of a metal tube filled with gas, such as argon.

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Geiger Counter



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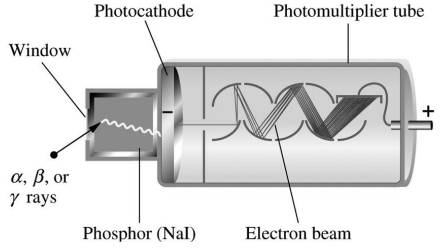
Radiations and Matter: Detection

Two types of devices, **ionization counters** and **scintillation counters**, are used to count particles emitted from radioactive nuclei.

A **scintillation counter** (figure on next slide) is a device that detects nuclear radiation from flashes of light generated in a material by the radiation.

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Scintillation Counter



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Radiations and Matter: Detection

☛ The **activity of a radioactive source** is the number of nuclear disintegrations per unit time occurring in a radioactive material.

◆ A **Curie (Ci)** is a unit of activity equal to 3.700×10^{10} disintegrations per second (dps).

◆ A sample of technetium having an activity of 1.0×10^{-2} Ci is decaying at a rate of

$$(1.0 \times 10^{-2}) \times (3.700 \times 10^{10}) = 3.7 \times 10^8 \text{ nuclei per second}$$

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Biological Effects and Radiation Dosage

☛ To monitor the effect of nuclear radiations on biological tissue, it is necessary to have a **measure of radiation dosage**.

◆ The **rad** (from radiation absorbed dose) is the dosage of radiation that deposits 1×10^{-2} J of energy per kilogram of tissue.

◆ However, the biological effect of radiation not only on the energy deposited but also on the **type of radiation**.

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Biological Effects and Radiation Dosage

☛ To monitor the effect of nuclear radiations on biological tissue, it is necessary to have a **measure of radiation dosage**.

◆ The **rem** is a unit of radiation dosage used to relate various kinds of radiation in terms of biological destruction.

◆ It equals the rad times a factor for the type of radiation, called the **relative biological effectiveness (RBE)**.

$$\text{rems} = \text{rads} \times \text{RBE}$$

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Biological Effects and Radiation Dosage

- ☛ To monitor the effect of nuclear radiations on biological tissue, it is necessary to have a **measure of radiation dosage**.
 - ◆ Beta and gamma radiations have an RBE of about 1, where neutron radiation has an RBE about 5 and alpha radiation an RBE of about 10.
 - ◆ A single dose of about 500 rems is fatal to most people.

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Rate of Radioactive Decay

- ☛ The **rate of radioactive decay**, that is the number of disintegrations per unit time, is proportional to the number of radioactive nuclei in the sample.
 - ◆ You can express this rate mathematically as
$$\text{Rate} = kN_t$$
where N_t is the number of radioactive nuclei at time t , and k is the **radioactive decay constant**.

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Rate of Radioactive Decay

- ☛ The **rate of radioactive decay**, that is the number of disintegrations per unit time, is proportional to the number of radioactive nuclei in the sample.
 - ◆ All radioactive decay follows **first order kinetics** as outlined in our Kinetics chapter.
 - ◆ Therefore, the **half-life** of a radioactive sample is related only to the radioactive decay constant.

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Rate of Radioactive Decay

✎ The **half-life**, $t_{1/2}$, of a radioactive nucleus is the time required for one-half of the nuclei in a sample to decay.

- ◆ The first-order relationship between $t_{1/2}$ and the decay constant k is

$$t_{1/2} = \frac{0.693}{k}$$

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A Problem To Consider

◆ The decay constant for the beta decay of technetium-99 is $1.0 \times 10^{-13} \text{ s}^{-1}$. What is the half-life of this isotope in years?

- ◆ Substitute the value of k into our half-life equation.

$$t_{1/2} = \frac{0.693}{1.0 \times 10^{-13} \text{ s}^{-1}} = 6.9 \times 10^{12} \text{ s}$$

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A Problem To Consider

◆ The decay constant for the beta decay of technetium-99 is $1.0 \times 10^{-13} \text{ s}^{-1}$. What is the half-life of this isotope in years?

- ◆ Then convert from seconds to years.

$$6.9 \times 10^{12} \text{ s} \cdot \frac{1 \text{ min}}{60 \text{ sec}} \cdot \frac{1 \text{ h}}{60 \text{ min}} \cdot \frac{1 \text{ d}}{24 \text{ h}} \cdot \frac{1 \text{ y}}{365 \text{ d}} = 2.2 \times 10^5 \text{ y}$$

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Rate of Radioactive Decay

Once you know the decay constant, you can calculate the **fraction of radioactive nuclei remaining** after a given period of time.

The first-order time-concentration equation is

$$\ln \frac{N_t}{N_0} = -kt$$

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A Problem To Consider

Phosphorus-32 has a half-life of 14.3 days. What fraction of a sample of phosphorus-32 would remain after 5.5 days?

If we substitute $k = 0.693/t_{1/2}$ we get

$$\ln \frac{N_t}{N_0} = \frac{-0.693 t}{t_{1/2}}$$

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A Problem To Consider

Phosphorus-32 has a half-life of 14.3 days. What fraction of a sample of phosphorus-32 would remain after 5.5 days?

Substituting $t = 5.5 \text{ d}$ and $t_{1/2} = 14.3 \text{ d}$, you obtain

$$\ln \frac{N_t}{N_0} = \frac{-0.693 (5.5\text{d})}{(14.3 \text{ d})} = -0.267$$

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A Problem To Consider

◆ Phosphorus-32 has a half-life of 14.3 days. What fraction of a sample of phosphorus-32 would remain after 5.5 days?

◆ Hence,

$$\text{Fraction nucleiremaining} = \frac{N_t}{N_0} = e^{-0.267} = 0.77$$

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Applications of Radioactive Isotopes

✎ A **radioactive tracer** is a very small amount of radioactive isotope added to a chemical, biological, or physical system to study the system.

◆ A series of experiments using tracers was carried out in the 1950's by **Melvin Calvin** at the University of California at Berkley, to **discover the mechanism of photosynthesis in plants**.

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Applications of Radioactive Isotopes

✎ Another example of radioactive tracers is **isotopic dilution**, a technique to determine the quantity of a substance in a mixture.

◆ Human **blood volumes** are determined using the technique of isotopic dilution.

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Applications of Radioactive Isotopes

☒ **Neutron activation analysis** is an analysis of elements in a sample based on the conversion of stable isotopes to radioactive isotopes by bombarding a sample with neutrons.

- Human hair samples are identified by neutron activation analysis.

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Operational Skills

- ☒ Using the notation for a bombardment reaction
- ☒ Calculating the decay constant from the activity
- ☒ Relating the decay constant, half-life, and activity
- ☒ Determining the fraction of nuclei remaining after a specified time

Time for a few review questions

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